

How to determine acceptability limits based on biological variation (BV) in External Quality Assessment Schemes (EQAS): lymphocyte subsets as a case study

Mohamed Rida Soumali, Marjan Van Blerk, Xavier Bossuyt, Wim Coucke, Christel Van Campenhout

Outline

- ☐ Components of variation in laboratory measurements
- ☐ Desirable quality specifications based on BV
- ☐ How to estimate BV
- ☐ Application to lymphocyte subsets
- ☐ Conclusion

Components of Variation in Laboratory Measurements

- Pre-analytical variation ($CV_P \approx 0$)
- Analytical variation (CV_A)
- Within-subject biological variation (CV_I)
- Between-subject biological variation (CV_G)

$$CV_T \approx \sqrt{CV_B^2 + CV_A^2}$$

where $CV_B = (CV_I^2 + CV_G^2)^{1/2}$

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Desirable quality specifications in EQAS based on BV

Harris (1979)

- $CV_{A,max} = 0.5 CV_I$

Gowans et al (1988)

- $B_{max} = 0.275 CV_B$ and $CV_{A,max} = 0.597 CV_B$

Wytze P.Oosterhuis and Sverre Sandberg (2015)

- $B_{max} = 0.275 (CV_B^2 + CV_{A0}^2)^{1/2}$ and
 $CV_{A,max} = 0.597 ((1.96/1.68)^2 (CV_B^2 + CV_{A0}^2) - CV_B^2)^{1/2}$

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How to estimate the components of BV

- ☐ Collect blood samples from healthy volunteers
- ☐ Store the sample for analysis in optimal conditions
- ☐ Analyse samples in duplicate, simultaneously under conditions minimising analytical variation
- ☐ Remove outliers
- ☐ Determine the analytical variation, within-subject and between-subject variation by fitting linear mixed-effects models (GLMM) to data

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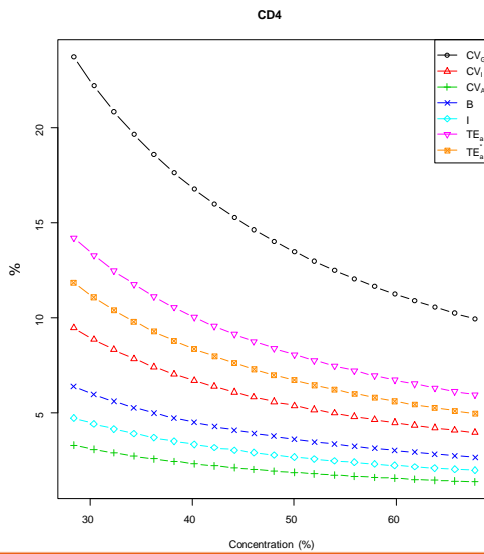
BV for lymphocyte subsets

- ☐ 29 healthy donors (15 females and 14 males)
- ☐ Samples were collected at monthly intervals during 1-year period.
- ☐ Particular attention was paid to minimize pre-analytical sources of variation
- ☐ Samples were immediately analyzed after collection using the same methodology.
- ☐ Percentages and absolute numbers were determined for T (CD3+), B (CD19+) and NK cells, and for the CD4+ and CD8+ T cell subsets
- ☐ Analytical, within-subject and between-subject BV were derived using GLMM.

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CD4 (%)

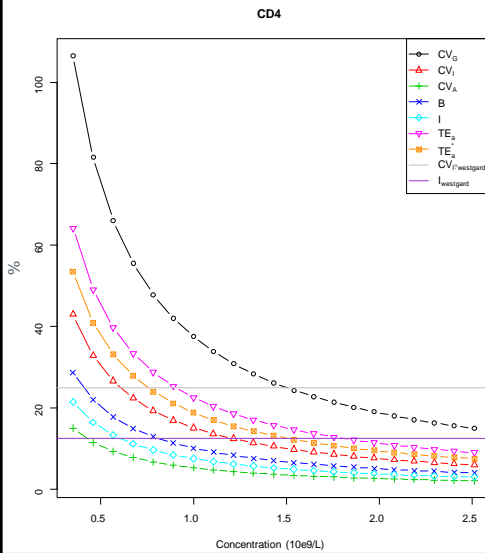


CONC	CV _G	CV _I	CV _A	B(%)	I(%)	TE _a
35.63	18.92	7.55	2.64	5.09	3.78	11.33
41	16.44	6.56	2.29	4.43	3.28	9.84
47.35	14.24	5.68	1.98	3.83	2.84	8.52
52.7	12.79	5.11	1.78	3.44	2.55	7.66
56.6	11.91	4.76	1.66	3.21	2.38	7.13

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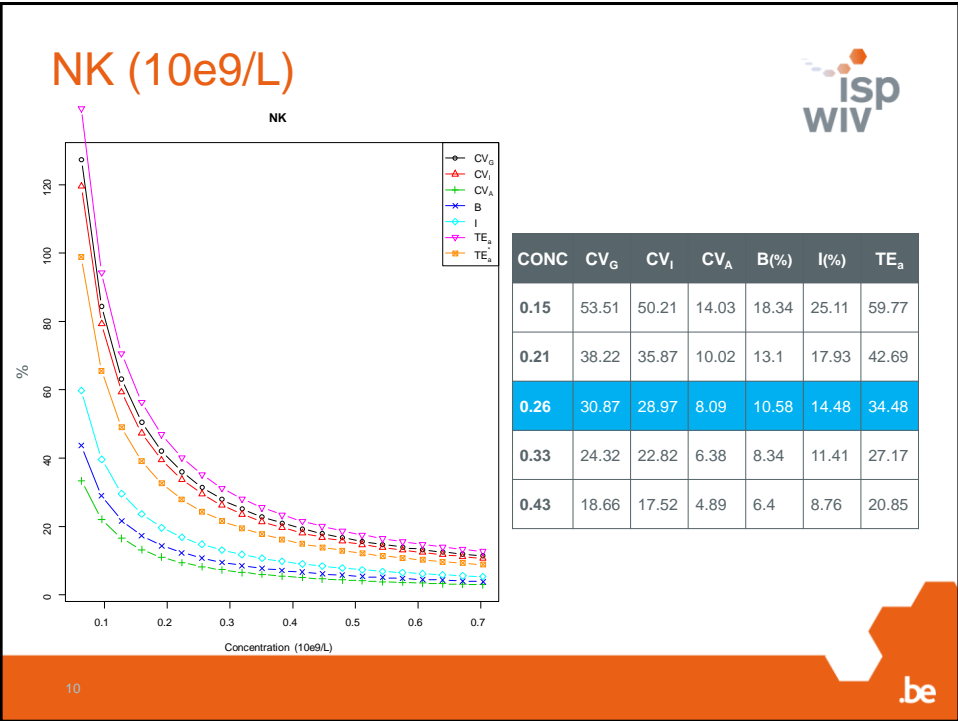
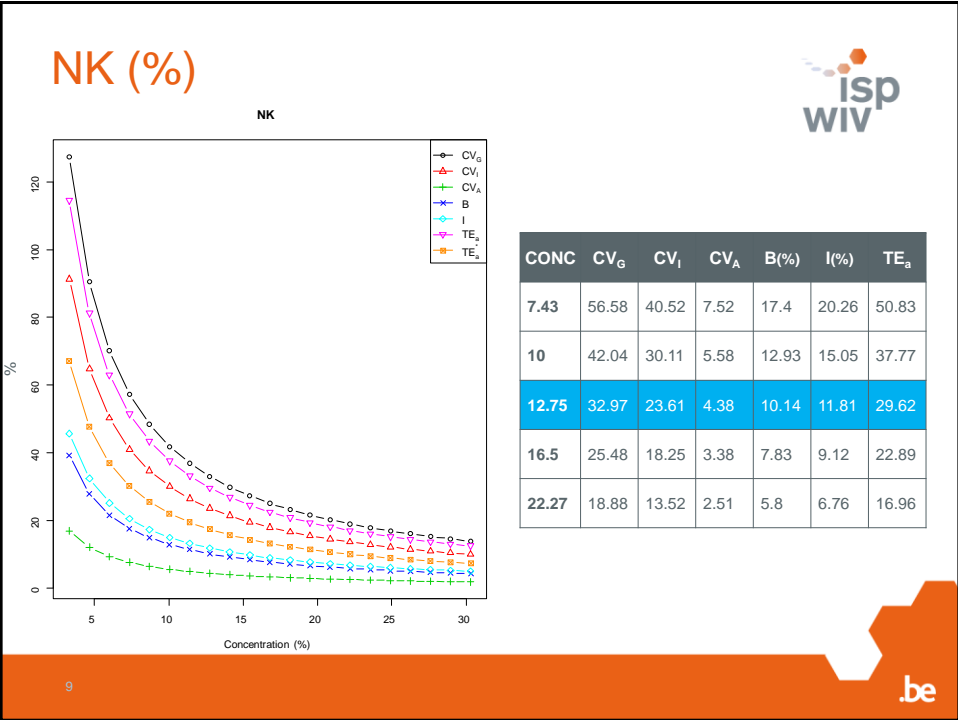
CD4 (10e9/L)



CONC	CV _G	CV _I	CV _A	B(%)	I(%)	TE _a
0.58	64.66	26.05	9.11	17.43	13.03	38.92
0.73	51.37	20.7	7.24	13.85	10.35	30.92
0.9	41.67	16.79	5.87	11.23	8.39	25.08
1.24	30.24	12.19	4.26	8.15	6.09	18.21
1.58	23.74	9.56	3.34	6.4	4.78	14.29

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Conclusion and discussion

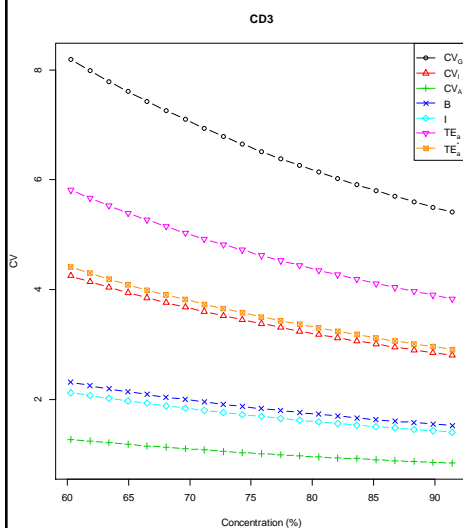


- The approach of limited data collection combined with mixed linear models is a workable alternative to compiling information from different sources.
- It offers a general solution for analytical quality setting and evaluation criteria for other EQAS
- Data collected could be used to derive reference intervals

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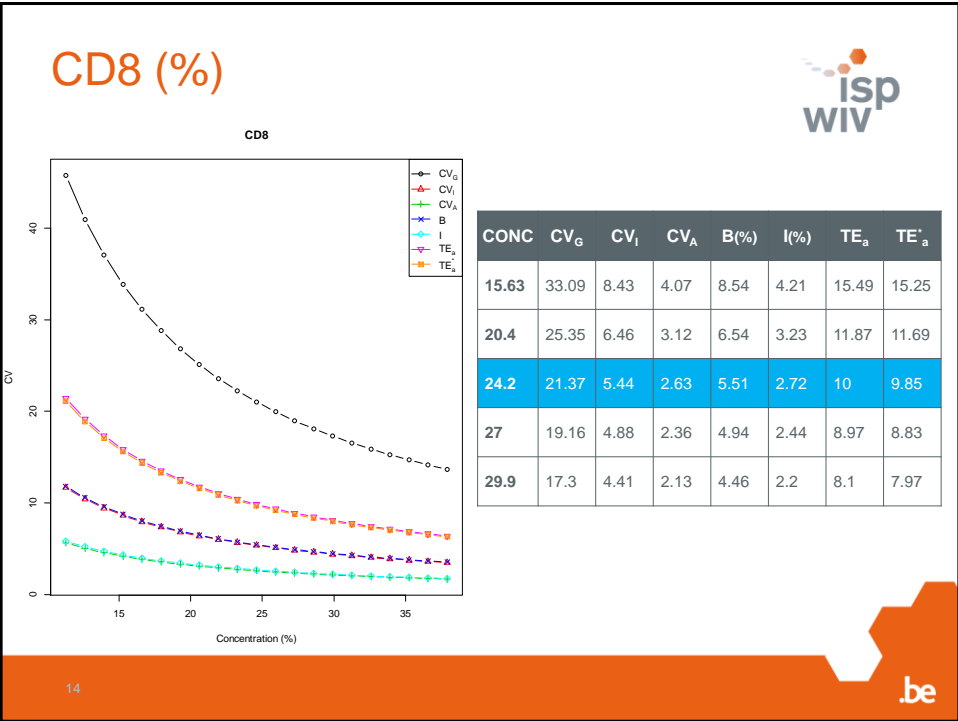
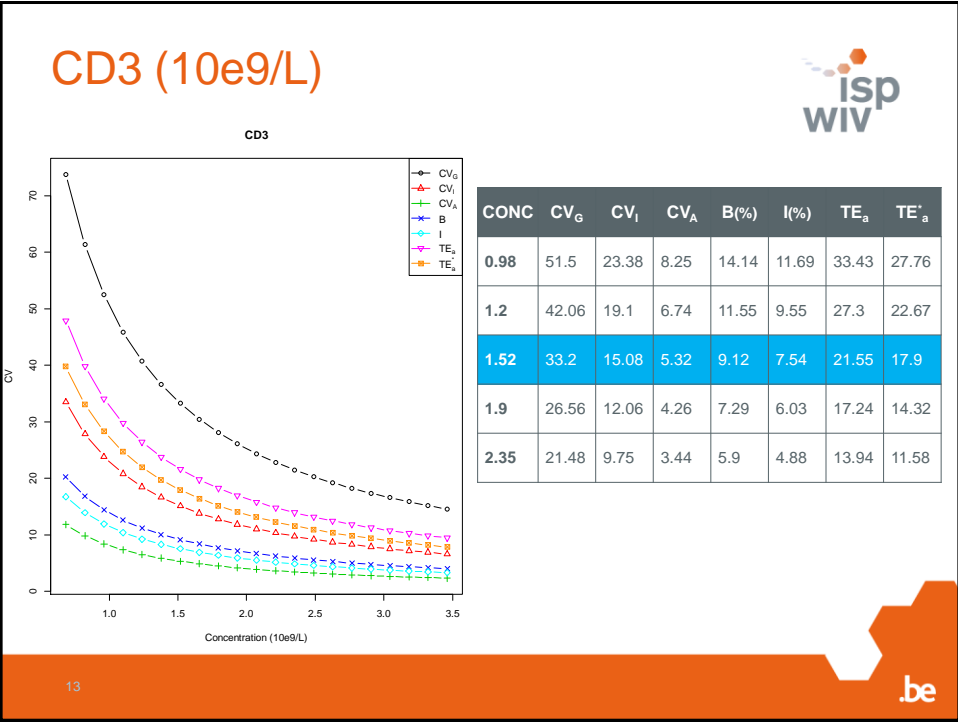
CD3 (%)

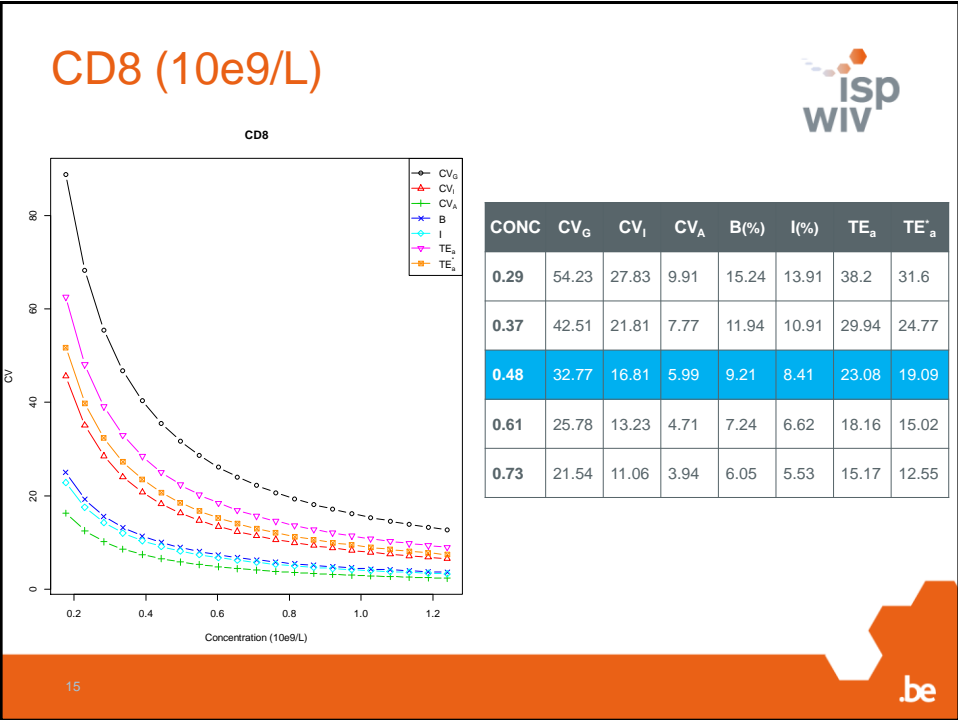


CONC	CV_G	CV_I	CV_A	B(%)	I(%)	TE_a	TE'_a
67.2	7.35	3.81	1.14	2.07	1.91	5.21	3.95
70.7	6.99	3.62	1.09	1.97	1.81	4.96	3.76
75.1	6.58	3.41	1.02	1.85	1.71	4.67	3.54
78.8	6.27	3.25	0.97	1.77	1.63	4.45	3.37
82.3	6	3.11	0.93	1.69	1.56	4.26	3.23

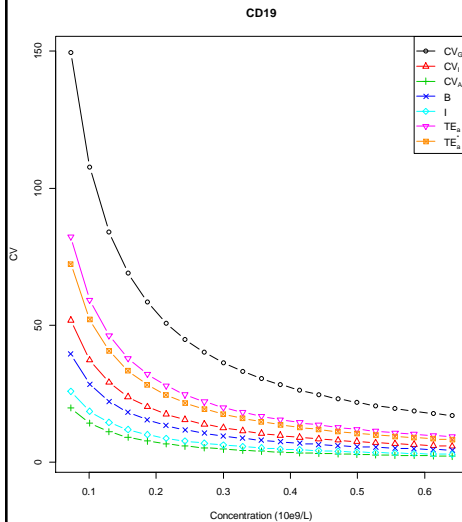
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CD19 (10e9/L)



CONC	CV _G	CV _I	CV _A	B(%)	I(%)	TE _a	TE' _a
0.12	90.96	31.52	12.09	24.07	15.76	50.07	44.02
0.15	72.77	25.22	9.67	19.25	12.61	40.06	35.22
0.21	51.98	18.01	6.91	13.75	9.01	28.61	25.15
0.29	37.64	13.04	5	9.96	6.52	20.72	18.22
0.42	25.99	9.01	3.46	6.88	4.5	14.31	12.58

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Desirable quality specifications in EQAS based on BV



Westgard (1974)

- $TE = B + 1.65 CV_A$
- $TE_a = B_{max} + 1.65 CV_{A,max}$
- $TE_a = 0.25 CV_B + 1.65 (0.5 CV_I)$

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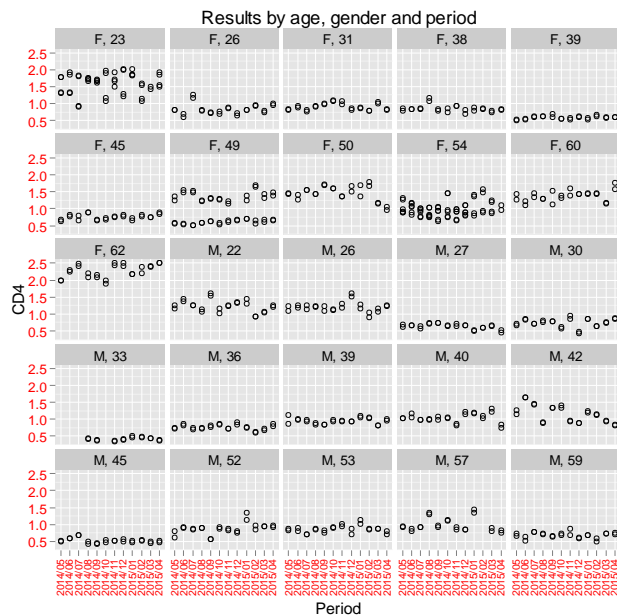
How to estimate the components of BV

fit linear mixed-effects models to data

- $Y_{ik} = \mu + \alpha_i + \beta * G_i + \gamma_{ik} + \varepsilon_{ik}$
- $\gamma_{ik} \sim N(0, \sigma_k)$: The effect of the period k on the subject i
- $\alpha_i \sim N(0, \sigma_i)$: The individual random effect of subject i
- $\varepsilon_{ik} \sim N(0, \sigma_\varepsilon)$: the residual error
- $gender$ is “dummy” variable equal to 1 if the subject i is male, 0 otherwise.
- $Var(Y_{ik}) = \sigma_i^2 + \sigma_k^2 + \sigma_\varepsilon^2$

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